## PHY 113 General Physics I -- Section D

TR 9:30-10:45 AM OPL 101 http://www.wfu.edu/~natalie/f03phy113/
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- General information about the class.
- Syllabus and homework assignments.
- Hints for solving some homework problems
- Information about WebAssign.
- Link to textbook student study guide
- On line quiz (due < 9:15 AM 09/02/03)
- Physics welcoming "tea" -- Thurs. Aug. 28 at 4

PM

- Link to Vpython software
- Physics News.

Materials needed for the course:

- Textbook - Halliday, Resnick, and Walker (shrinkwrapped in 2 volumes + WebAssign access code)
-Lab manual available from book store - Labs start Sept. $1^{\text {st. }}$ bring your laptops
-Webassign - Interactive homework system - need login \& password (enter access code within 2 weeks) (If you purchase your text book separately, you may obtain an access code from the WebAssign web site.
-Calculator

Course plan
-Read text sections before lecture and take online quiz before lecture
-Lectures -- 9:30-10:45 AM T R (ask questions; make suggestions about format)
-Homework - tied to each lecture; due on the day of the following lecture - help available from instructor and tutors (scheduled office hours and tutorial sessions)
-Exams - 3 + final
-Extra credit opportunities

Why take this course?
-Learn fundamentals of physics
-Learn quantitative problem solving strategies

Problem solving steps

1. Visualize problem - labeling variables
2. Determine which basic physical principle(s) apply
3. Write down the appropriate equations using the variables defined in step 1.
4. Check whether you have the correct amount of information to solve the problem (same number of knowns and unknowns).
5. Solve the equations.
6. Check whether your answer makes sense (units, order of magnitude, etc.).


Advice:

1. Keep basic concepts and equations at the top of your head.
2. Practice problem solving and math skills
3. Develop an equation sheet that you can consult.

Online quiz -- example

> Online Quiz for Lecture 2 Motion in One Dimension -- Sept. 2, 2003

1. Suppose that you have 2 minutes before class begins and you are 300 m from Olin 101. What is should be your average velocity (in $m / s$ ) in order to get to class on time?
(a) 150 (b) 15 (c) 5 (d) 2.5 (e) 1
2. Suppose you begin and end your trip at rest ( $\mathrm{v}=0 \mathrm{~m} / \mathrm{s}$ ) and have a constant acceleration $a$ for 1 minute followed by a constant negative acceleration $-a$ for 1 minute. What is the value of $a$ in $m / s^{2}$ ?
(a) 15 (b) 5 (c) 2.5 (d) 0.3333 (e) 0.0833
3. What is your maximum velocity (in $m / s$ ) during the trip? (a) 150 (b) 15 (c) 5 (d) 2.5 (e) 1

## Example for WebAssign



## Student Resources

- Technical SupportStudent Guide


## WebAssign Login

## Welcome to WebAssign!

Important Notice: On Sunday July 27, 2003 we rolled out version 4.0 of WebAssign.

Our latest version of WebAssign brings many new features and options requested by our student and faculty users. For students, the changes are obvious - now you have a calendar, forums (if your instructor uses them), and a grade book, which are all explained in the Student Guide. Instructors have many new tools. To find out about them, please click WebAssign 4 Quick Start Guide.

If you need access to Version 3.5, please click here.

## Username



Password forgot passmord?
Password

Use the username, institution, and password provided by your instructor or account representative.

[HRW6 1.P.003.] A space shutle orbits the Eath at an altitude of 295 km . What is this altitude in
(a) miles and

(b) millineters?

$1 \mathrm{mi}=1.61 \mathrm{~km}$
$\mathrm{D}=295 \mathrm{~km} \times 1 \mathrm{mi} / 1.61 \mathrm{~km}=183.22981 \mathrm{~km}$ (answer with 3 significant digits: 183 km )
$1 \mathrm{~mm}=10^{-3} \mathrm{~m} \quad 1 \mathrm{~km}=10^{3} \mathrm{~m} \rightarrow 1 \mathrm{~mm}=10^{-3} / 10^{3} \mathrm{~km}$

$$
=10^{-6} \mathrm{~km}
$$

$\mathrm{D}=295 \mathrm{~km} \times 1 \mathrm{~mm} / 10^{-6} \mathrm{~km}=295 \times 10^{6} \mathrm{~mm}$
(answer in WebAssign notation 295E ${ }^{6}$ )
must have no space; could be lower case

## Units \& measure

1. SI units
2. Orders of magnitude
3. Problem solving techniques
4. Error analysis
5. SI units

$$
\begin{aligned}
& \text { mass }=\mathrm{kg} \quad(1 \mathrm{~kg}=1000 \mathrm{~g}) \\
& \text { time }=\mathrm{sec} \\
& \text { length }=\mathrm{m}
\end{aligned}
$$

Common abreviations

$$
\mathrm{c}=\text { centi }=10^{-2}
$$

$$
\begin{aligned}
& \mathrm{k}=\text { kilo }=10^{3} \\
& \mathrm{M}=\text { mega }=10^{6} \\
& \mathrm{G}=\text { giga }=10^{9} \\
& \mathrm{~T}=\text { tera }=10^{12}
\end{aligned}
$$

$$
\mathrm{m}=\text { milli }=10^{-3}
$$

Terrible example:
$10^{12}$ bull
2. Orders of magnitude

Diameter of a nucleus $\sim 10^{-15} \mathrm{~m}$
Diameter of an atom $\sim 10^{-10} \mathrm{~m}$
Distance of earth to Sun $\sim 10^{11} \mathrm{~m}$
Mass of electron $\sim 10^{-30} \mathrm{~kg}$
Mass of earth $\sim 10^{24} \mathrm{~kg}$
Vibration time of a molecule $\sim 10^{-13} \mathrm{~s}$
Age of Earth $\sim 10^{17}$ s

Example of molecular lengths visible with scanning tunning microscope as measured by Martin Guthold.

$500 \mathrm{~nm}=500 \times 10^{-9} \mathrm{~m}$
3. Problem solving steps

1. Visualize problem - labeling variables
2. Determine which basic physical principle applies
3. Write down the appropriate equations using the variables defined in step 1.
4. Check whether you have the correct amount of information to solve the problem (same number of knowns and unknowns.
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## PHY 113 - Additional notes for Chapter 1 (Problem Set \# 1)

Here are some notes about error analysis. This will be discussed also in your laboratory work. Some helpful comments follow:

Some degree of error is associated with any measurement. For example, Suppose your ruler has centimeter and millimeter markings. If you measured one side of your text you could say that its length is $l_{1} \pm \delta l_{1}$ (for example $22.2 \pm 0.2 \mathrm{~cm}$ ). Suppose the second length is measured as $l_{2} \pm \delta l_{2}$ (for example $26.2 \pm 0.2 \mathrm{~cm}$ ), while the thickness is $t \pm \delta t$ (for example $6.3 \pm 0.2$ $\mathrm{cm})$. If you now wanted to compute the expected volume of your text, that would be

$$
\begin{equation*}
V=l_{1} \cdot l_{2} \cdot t \tag{1}
\end{equation*}
$$

To get an idea of the error in your calculation you need to think about the error in each length measurement. Symbollically you can write this as the difference between the possible values and the expected value given in Eq. 1,

$$
\begin{equation*}
\delta V \equiv\left(l_{1} \pm \delta l_{1}\right) \cdot\left(l_{2} \pm \delta l_{2}\right) \cdot(t \pm \delta t)-l_{1} \cdot l_{2} \cdot t . \tag{2}
\end{equation*}
$$

Expanding this, we find

$$
\begin{equation*}
\delta V \approx \pm \delta l_{1} \cdot l_{2} \cdot t \pm l_{1} \cdot \delta l_{2} \cdot t \pm l_{1} \cdot l_{2} \cdot \delta t \pm \ldots \tag{3}
\end{equation*}
$$

$$
\begin{equation*}
\delta V \equiv\left(l_{1} \pm \delta l_{1}\right) \cdot\left(l_{2} \pm \delta l_{2}\right) \cdot(t \pm \delta t)-l_{1} \cdot l_{2} \cdot t \tag{2}
\end{equation*}
$$

Expanding this, we find

$$
\begin{equation*}
\delta V \approx \pm \delta l_{1} \cdot l_{2} \cdot t \pm l_{1} \cdot \delta l_{2} \cdot t \pm l_{1} \cdot l_{2} \cdot \delta t \pm \ldots \tag{3}
\end{equation*}
$$

where the terms we have omitted, such as $\delta l_{1} \cdot \delta l_{2} \cdot t$ are expected to be much smaller than the terms we kept. If we want an estimate of the maximum possible error, then we can we should replace $\pm$ with + and it is oonvenient to divide the estimate of the error in $V$ by the the estimated value of $V$ so that the expression becomes the very compact result:

$$
\begin{equation*}
\frac{\delta V}{V}=\frac{\delta l_{1}}{l_{1}}+\frac{\delta l_{2}}{l_{2}}+\frac{\delta t}{t} . \tag{4}
\end{equation*}
$$

For the particular numbers quoted above, the fractional error is

$$
\begin{equation*}
\frac{\delta V}{V}=\frac{0.2}{22.2}+\frac{0.2}{26.2}+\frac{0.2}{6.3}=0.048 \equiv \% 4.8 \tag{5}
\end{equation*}
$$

or $V=3664 \pm 177 \mathrm{~cm}^{3}$.
In this case, the fractional error is equal to the sum of the fractional errors in each of the length measurements. This is not a general result, but frequently the error analysis simplifies to a compact result when expressed in terms of the fractional error of each measurement.

