

PHY 113 A General Physics I

9-9:50 AM MWF Olin 101

Plan for Lecture 2:

Some announcements

Chapter 2 – Motion in one dimension

- 1. Position, time, velocity**
- 2. General examples**
- 3. Constant velocity**

Some updates/announcements

According to the class vote -- changes to exam schedule:

Grading:

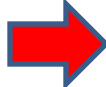
It is likely that your grade for the course will be determined by the following factors:

| | |
|---|-----|
| 4 exams [*] | 45% |
| Final exam | 25% |
| Problems sets ^{**} | 15% |
| Laboratory work ^{***} | 10% |
| Quiz ^{****} | 5% |

^{*} In order to relieve exam stress, the 3 highest exam scores will be scaled to 13 points each while the lowest score will be scaled to 6 points.

Some updates/announcements

According to class vote – changes to exam schedule:



| No. | Lecture Date | Topic | Text Sections | Problem Assignments | Assignment Due Date |
|-----|--------------|---------------------------------------|-------------------------|-----------------------------------|---------------------|
| 1 | 08/29/2012 | Units & measurement | 1.1-1.6 | 1.2.1.6.1.13.1.20 | |
| 2 | 08/31/2012 | Motion in 1d -- constant velocity | 2.1-2.3 | 2.1.2.8 | 09/07/2012 |
| 3 | 09/03/2012 | Motion in 1d -- constant acceleration | 2.4-2.8 | 2.13.2.16 | 09/07/2012 |
| 4 | 09/05/2012 | Vectors | 3.1-3.4 | | 09/07/2012 |
| 5 | 09/07/2012 | Motion in 2d | 4.1-4.3 | | 09/10/2012 |
| 6 | 09/10/2012 | Circular motion | 4.4-4.6 | | 09/12/2012 |
| 7 | 09/12/2012 | Newton's laws | 5.1-5.6 | | 09/14/2012 |
| 8 | 09/14/2012 | Newton's laws applied | 5.7-5.8 | | 09/17/2012 |
| | 09/17/2012 | Review | 1-5 | | |
| | 09/19/2012 | Exam | 1-5 | | |
| 9 | 09/21/2012 | More applications of Newton's laws | 6.1-6.4 | | 09/24/2012 |
| 10 | 09/24/2012 | Work | 7.1-7.4 | | 09/26/2012 |

Tentative list of exam dates:

1. Wednesday, September 19, 2012
2. Monday, October 8, 2012
3. Friday, November 2, 2012
4. Wednesday, November 28, 2012

iclicker exercises:

Webassign Experiences so far

- A. Have not tried it
- B. Cannot login
- C. Can login
- D. Have logged in and have completed one or more example problems.

Textbook Experiences

- A. Have no textbook (yet)
- B. Have complete physical textbook
- C. Have electronic version of textbook
- D. Have Volume I physical textbook
- E. Textbook is on order

Starting September 3, 2012

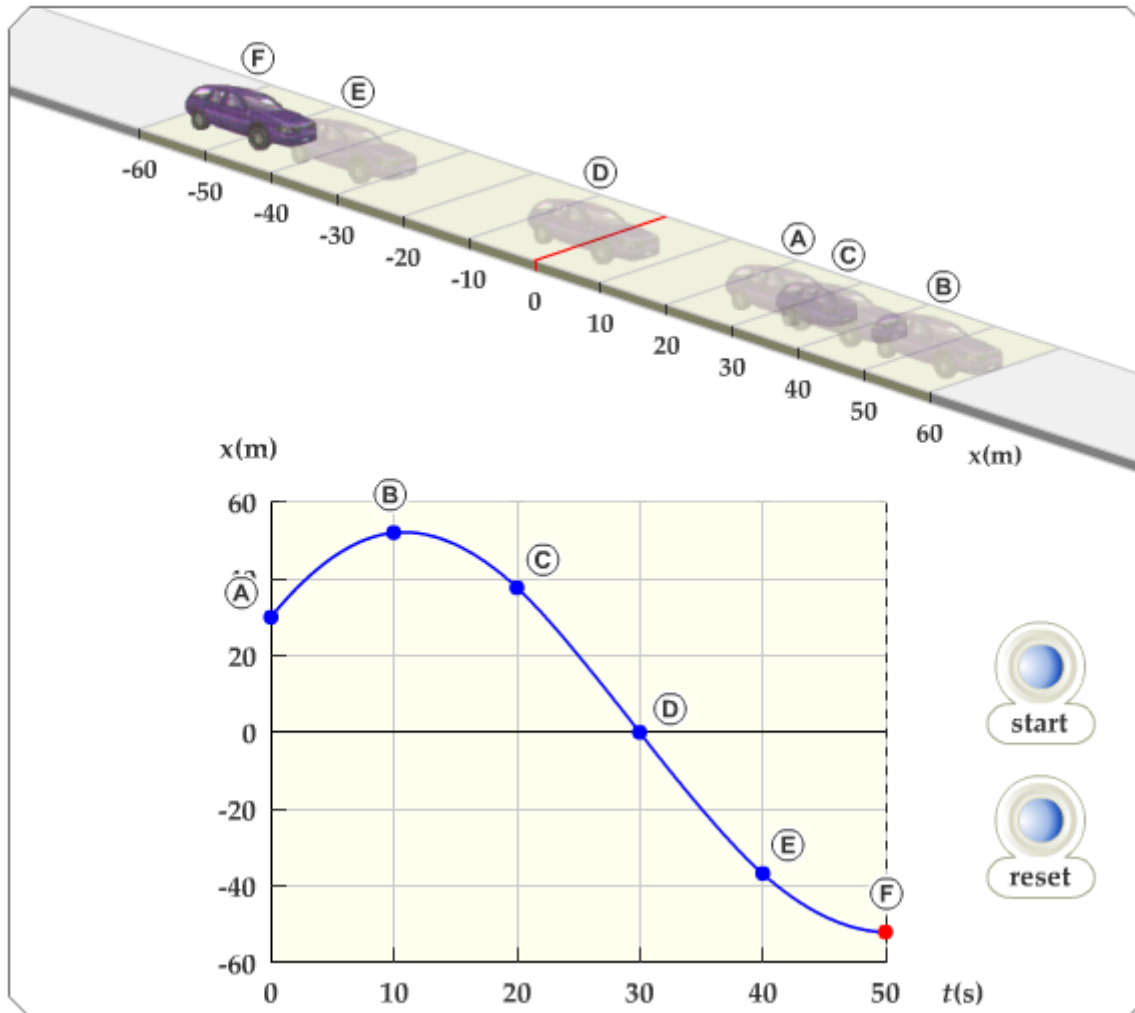
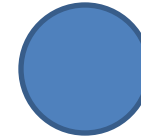
**Schedule for Physics 113 Tutorials
5-7 PM in Olin 101**

| Sunday | Monday | Tuesday | Wednesday | Thursday | Friday |
|--------------|-------------|-------------|---------------|---------------|--------------|
| Loah Stevens | Jiajie Xiao | Jiajie Xiao | Stephen Baker | Stephen Baker | Loah Stevens |

First Webassign sets “due” on Friday, Sept. 7th

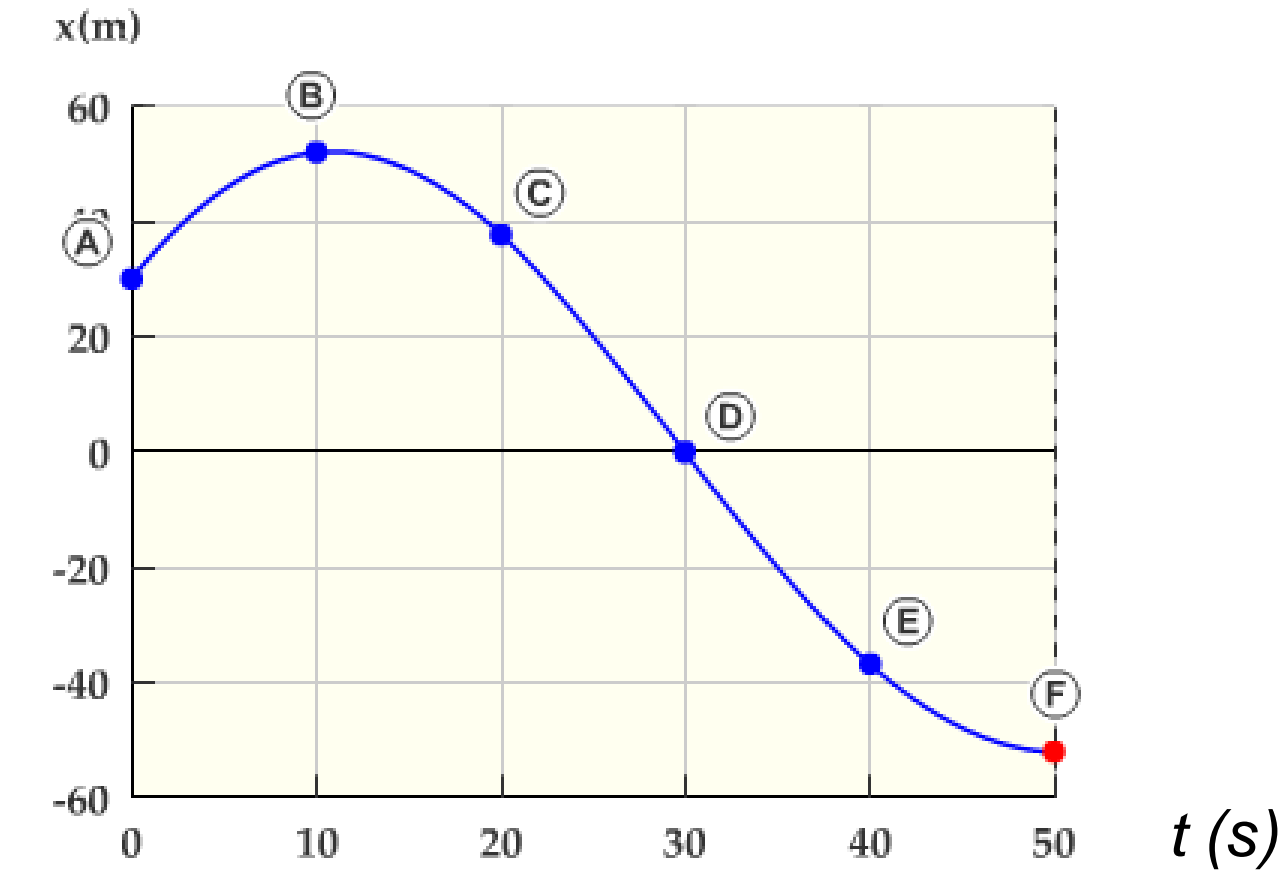
PHY 113 Labs start **September 3, 2012
(Please see Eric Chapman in Olin 110
chapmaek@wfu.edu for all of your
laboratory concerns)**

Motion in one-dimension



| | $t(s)$ | $x(m)$ |
|---|--------|--------|
| A | 0 | 30 |
| B | 10 | 52 |
| C | 20 | 38 |
| D | 30 | 0 |
| E | 40 | -37 |
| F | 50 | -53 |

Graphical representation of position (displacement) $x(t)$



Comment:

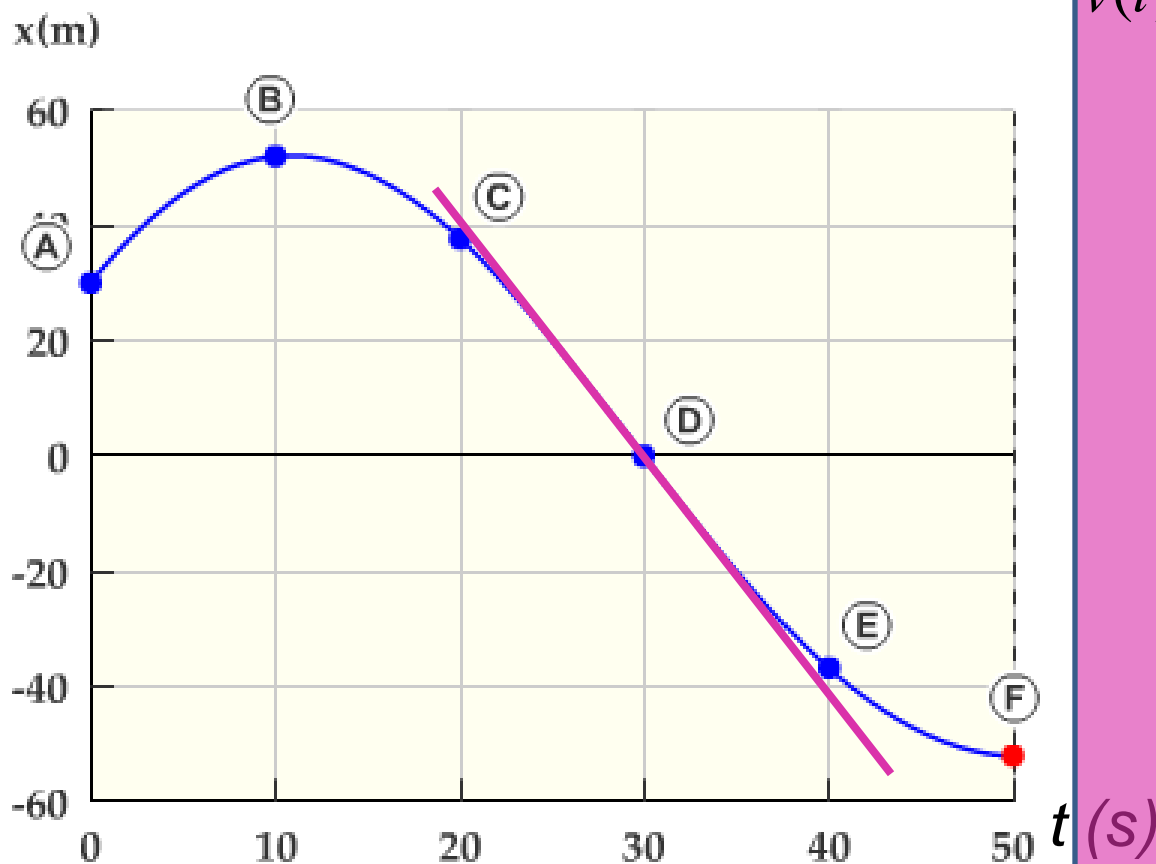
Your text mentions the notion of a “scalar quantity” in contrast to a “vector quantity” which will be introduced in Chapter 3. In most contexts, a scalar quantity – like one-dimensional distance or displacement can be positive or negative.

Another comment:

Your text describes the time rate of change of displacement as “velocity” which, in one-dimension is a signed scalar quantity. In general “speed” is the magnitude of velocity – a positive scalar quantity.

Graphical representation of position (displacement): $x(t)$

→ time rate of change of displacement = velocity: $v(t)$



velocity:

$$v(t) \equiv \lim_{\Delta t \rightarrow 0} \left(\frac{x(t + \Delta t) - x(t)}{\Delta t} \right)$$

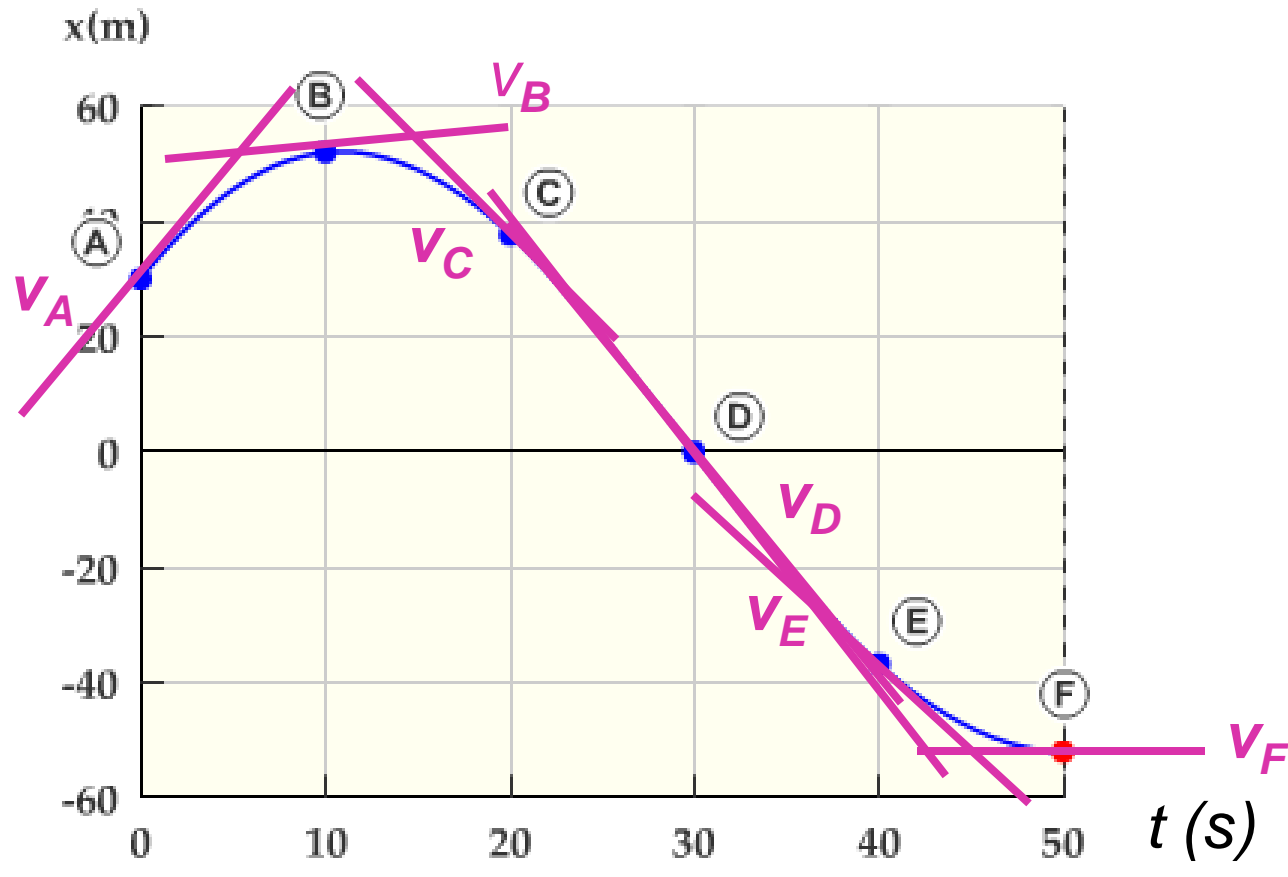
$$= \frac{dx}{dt}$$

$$v(t) = \frac{x(40) - x(20)}{40s - 20s}$$

$$\approx \frac{-40m - 40m}{20s}$$

$$= -4 \text{ m/s}$$

Instantaneous velocity



Demonstration of tangent line limit



Instantaneous velocity :

$$v(t) \equiv \lim_{\Delta t \rightarrow 0} \left(\frac{x(t + \Delta t) - x(t)}{\Delta t} \right)$$
$$= \frac{dx}{dt}$$

Average velocity versus instantaneous velocity

Instantaneous velocity :

$$v(t) \equiv \lim_{\Delta t \rightarrow 0} \left(\frac{x(t + \Delta t) - x(t)}{\Delta t} \right)$$
$$= \frac{dx}{dt}$$

Average velocity :

$$\langle v \rangle_A^B = \frac{\int_{t_A}^{t_B} v(t) dt}{t_B - t_A}$$
$$= \frac{x(t_B) - x(t_A)}{t_B - t_A}$$

Average velocity

The previous stated :


$$\langle v \rangle_A^B = \frac{x(t_B) - x(t_A)}{t_B - t_A}$$


iclicker exercise:

This results is:

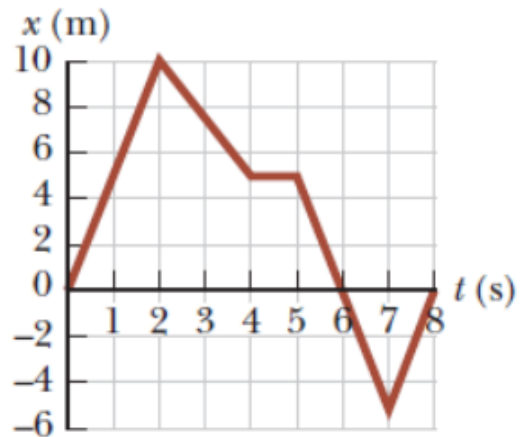
- A. Exact
- B. Approximate

Webassign Example

1.  -/0.5 points

 [My Notes](#) | SerPSE8 2.F

The position versus time for a certain particle moving along the x axis is shown in the figure below. Find the average velocity in the following time intervals.



(a) 0 to 2 s

m/s

(b) 0 to 4 s

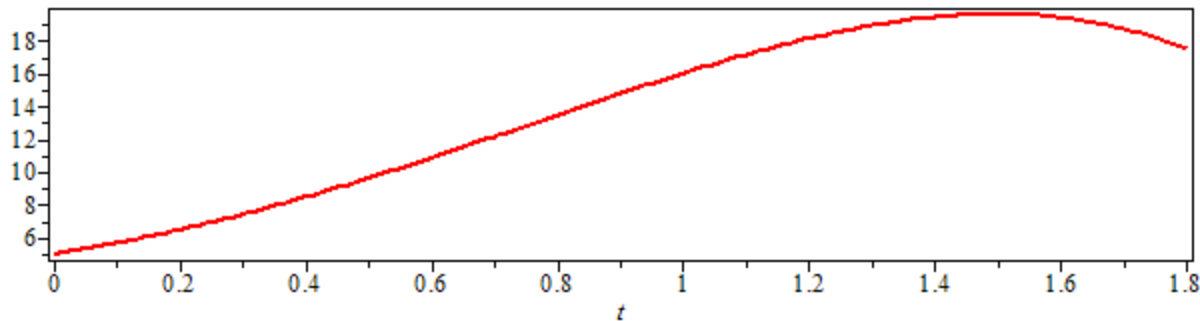
m/s

(c) 3 to 6 s

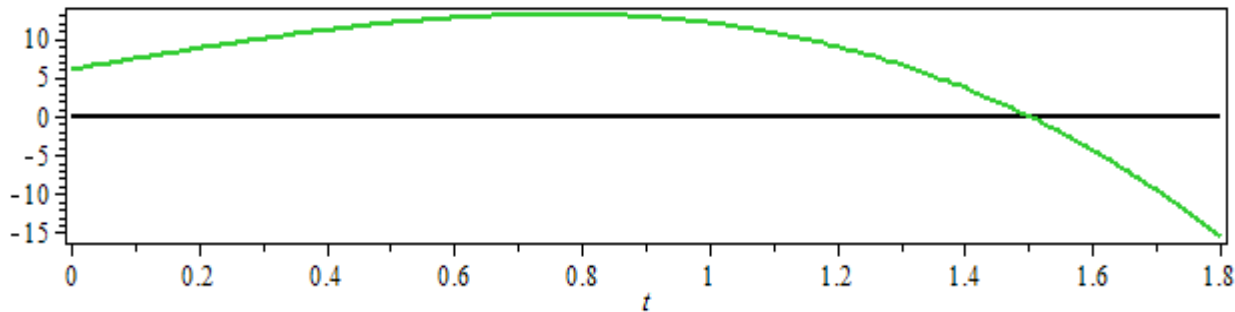
Instantaneous velocity using calculus

Suppose:

$$x(t) = 5 + 6t + 7t^2 - 2t^4$$



$$v(t) = \frac{dx}{dt} = 6 + 14t - 8t^3$$



Anti-derivative relationship

Constant velocity motion

Suppose : $\frac{dx}{dt} = v_0$

Then : $x(t) = x_0 + v_0 t$

Example -- suppose $x_0 \equiv 0$ and $v_0 \equiv 0.3 \text{ m/s}$:

