## PHY 711 Classical Mechanics and Mathematical Methods 10-10:50 AM MWF Olin 103

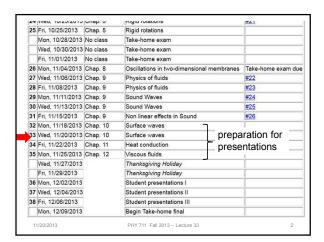
## Plan for Lecture 33:

Chapter 10 in F & W: Surface waves

-- Non-linear contributions and soliton solutions

11/20/2013

PHY 711 Fall 2013 - Lecture 33





## WFU Physics Colloquium

TITLE: Measurements to Enable Emerging Nanoelectronics

SPEAKER: Dr. Curt A. Richter,

NanoElectronics Group, Semiconductor & Dimensional Metrology Division, Physical Measurement Laboratory, National Institute of Standards and Technology

TIME: Wednesday November 20, 2013 at 4:00

PLACE: Room 101 Olin Physical Laboratory

Refreshments will be served at 3:30 PM in the Olin Lounge, All interested persons are cordially invited to attend.

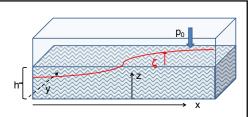
## ABSTRACT

Traditional computing devices have been based upon the scaling of silicon-based complementary metal oxide semiconductor (CMOS) devices, but this scaling is reaching fundamental limits. The semiconductor industry is facing difficult challenges extending integrated circuit technology performance, and innovative technologies to store and manipulate are being aggressively pursued. These emerging technologies rely on the integration of novel materials such as graphene, nanowires, and compound semiconductors as well as new device structures such as tunnel-FETs and resistance change memories. New measurements are needed to enable research, development, and

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General problem including non-linearities

Within fluid:  $0 \le z \le h + \zeta$   $-\frac{\partial \Phi}{\partial t} + \frac{1}{2}v^2 + g(z - h) = \text{constant} \quad (\text{We have absorbed})$   $-\nabla^2 \Phi = 0 \qquad p_0 \text{ in our constant.})$ At surface:  $z = h + \zeta \qquad \text{with } \zeta = \zeta(x, y, t)$   $\frac{d\zeta}{dt} = \frac{\partial \zeta}{\partial t} + v_x \frac{\partial \zeta}{\partial x} + v_y \frac{\partial \zeta}{\partial y} \qquad \text{where } v_{x,y} = v_{x,y}(x, y, h + \zeta, t)$ PHY711 Fall 2013 - Lecture 33



Further simplifications; assume trivial y - dependence

 $\Phi = \Phi(x, z, t)$ 

 $\zeta = \zeta(x,t)$ 

Within fluid:

 $0 \le z \le h + \zeta$ 

At surface:

 $v_{z}(x,z=h+\zeta,t) = -\frac{\partial \Phi}{\partial z} = \frac{d\zeta}{dt}$ 

11/20/2013

PHY 711 Fall 2013 - Lecture 33

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11/20/2013	PHY 711 Fall 2013 – Lecture 33	7		