


PHY 341/641

Thermodynamics and Statistical Physics

Lecture 35

Review and examples

- Chemical potential example – atmospheric pressure
- Chemical potential example – battery operation

24	3/26/2012	Bose and Fermi particles	6.5-6.11		
25	3/28/2012	Phase transformations	7.1-7.3	HW 21	03/30/2012
26	3/30/2012	Van der Waals Equation	7.4		
27	4/02/2012	Equilibrium constants	7.4-7.5	HW 22	04/04/2012
28	4/04/2012	Equilibrium constants	7.5		
	4/06/2012	<i>Good Friday Holiday</i>			
29	4/09/2012	Review -- begin take-home exam	5-7		
	4/11/2012	No class -- work on exam	5-7		
30	4/13/2012	Simulation of chemical potential	7.2	Exam continued	
31	4/16/2012	Classical treatment of dense systems	8.1-8.2	Exam due	
32	4/18/2012	Review exam; Virial expansion	8.3-8.4		
33	4/20/2012	Radial distribution function	8.5		
34	4/23/2012	More topics on classical fluids	8.6-8.9		
	35	4/25/2012	Review		
	36	4/27/2012	Review		
		4/30/2012	Student presentations I		
		5/02/2012	Student presentations II		
		5/09/2012	9 AM Final exam		

4/30– Laurence, Zac, Eric

5/2 -- Kristen, Audrey, Griffin

WFU Physics Colloquium

TITLE: Honors theses presentations

TIME: Wednesday April 25, 2012 at 3:30 PM

PLACE: Room 101 Olin Physical Laboratory

Refreshments will be served at 3:00 PM in the Olin Lounge. All interested persons are cordially invited to attend.

Note early start time

SPEAKERS

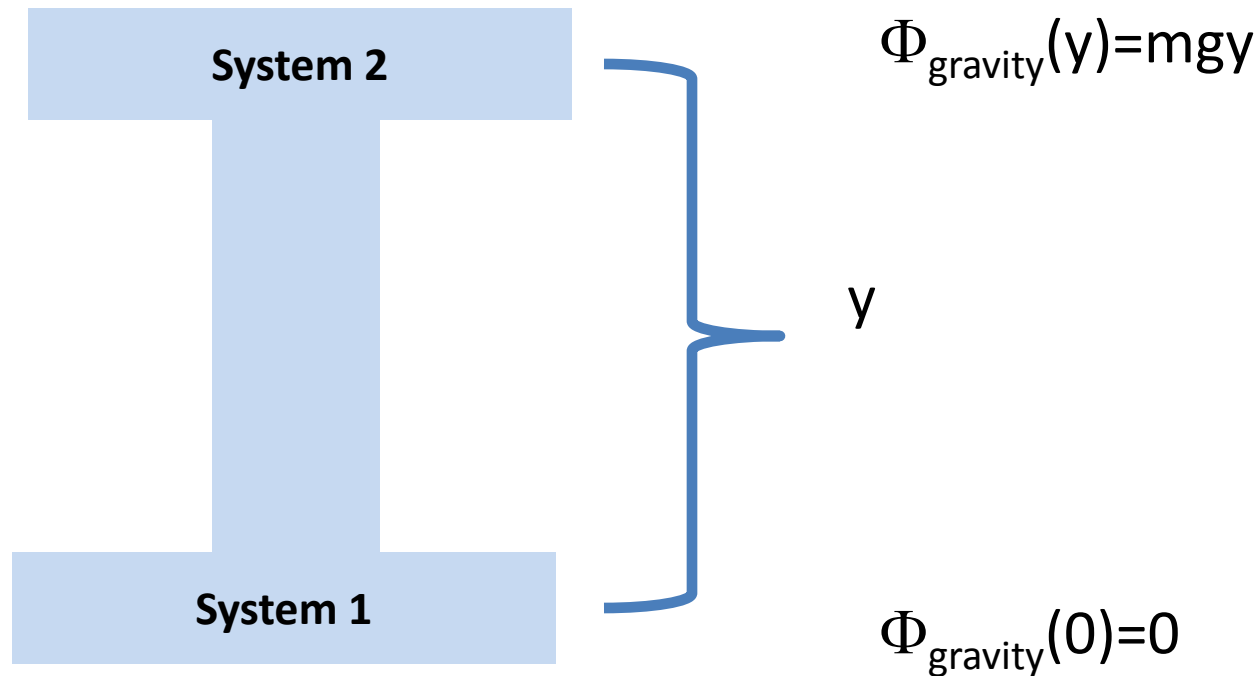
- Matthew Martin
- Dillon Sanders
- Griffin Shoemaker
- Hannah Reynolds
 - Molly Binder
 - Daniel David

Example systems involving analysis of chemical potentials

Ref. Kittel and Kroemer, **Statistical Physics**

In the following examples, the “internal chemical potential” is augmented with an external potential which can be added to make a “total” chemical potential

Model of the variation of the atmospheric pressure with altitude based on the consideration of two volumes of gas at different heights in a uniform gravitational field in thermal and diffusive contact. (Ignore temperature and gravitational potential variations with height.)



Here m denotes the average mass per particle, and g denotes the gravitation acceleration.

Assuming ideal gas equation of state :

$$\begin{aligned}\mu_{tot}(y) &= -kT \ln \left[\frac{V}{N(y)} \left(\frac{2\pi mkT}{h^2} \right)^{3/2} \right] + \Phi_{gravity}(y) \\ &\equiv -kT \ln \left[\left(\frac{2\pi mkT}{h^2} \right)^{3/2} \right] + kT \ln(n(y)) + \Phi_{gravity}(y)\end{aligned}$$

where $n(y) \equiv \frac{N(y)}{V}$ represents the gas density as a function of height

Thermodynamic equilibrium implies :

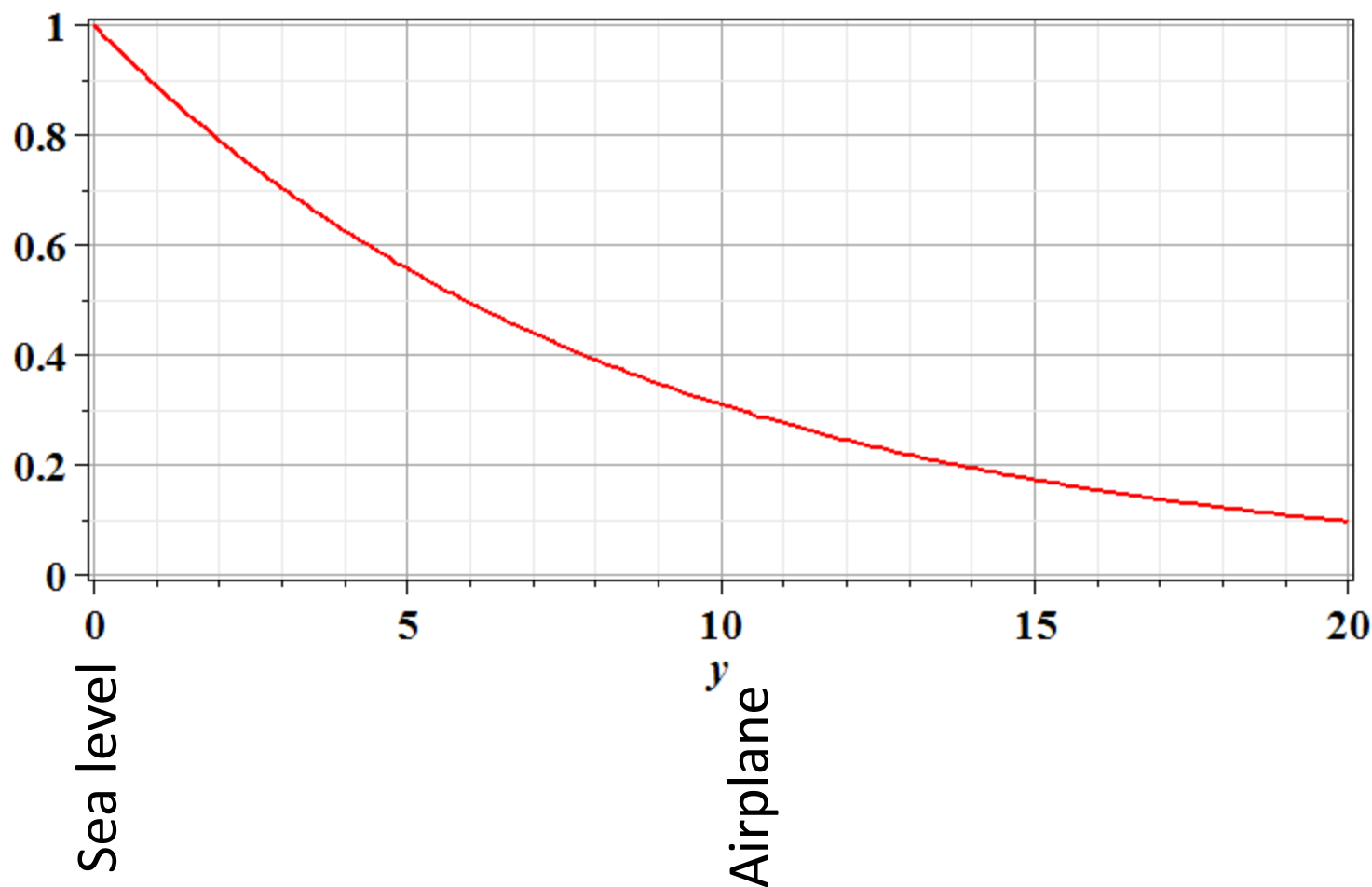
$$\mu_{tot}(y) = \mu_{tot}(0)$$

$$\Rightarrow kT \ln(n(y)) + mgy = kT \ln(n(0))$$

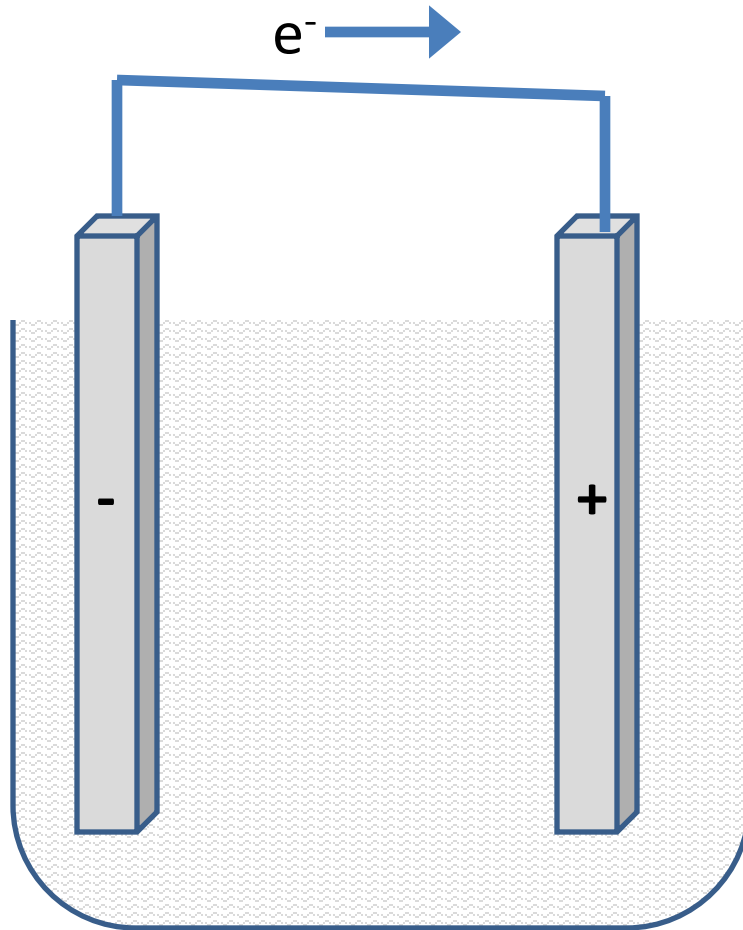
$$\Rightarrow n(y) = n(0)e^{-mgy/kT}$$

Variation of air density with height :

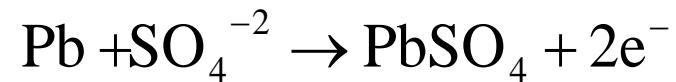
$$n(y) = n(0)e^{-mgy/kT} \equiv n(0)e^{-y/y_c} \quad y_c \approx 8.5km$$



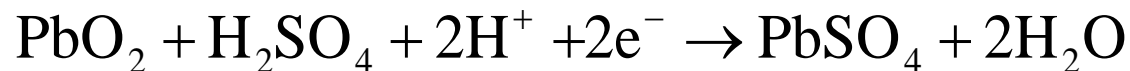
Another example of chemical potential analysis -- battery

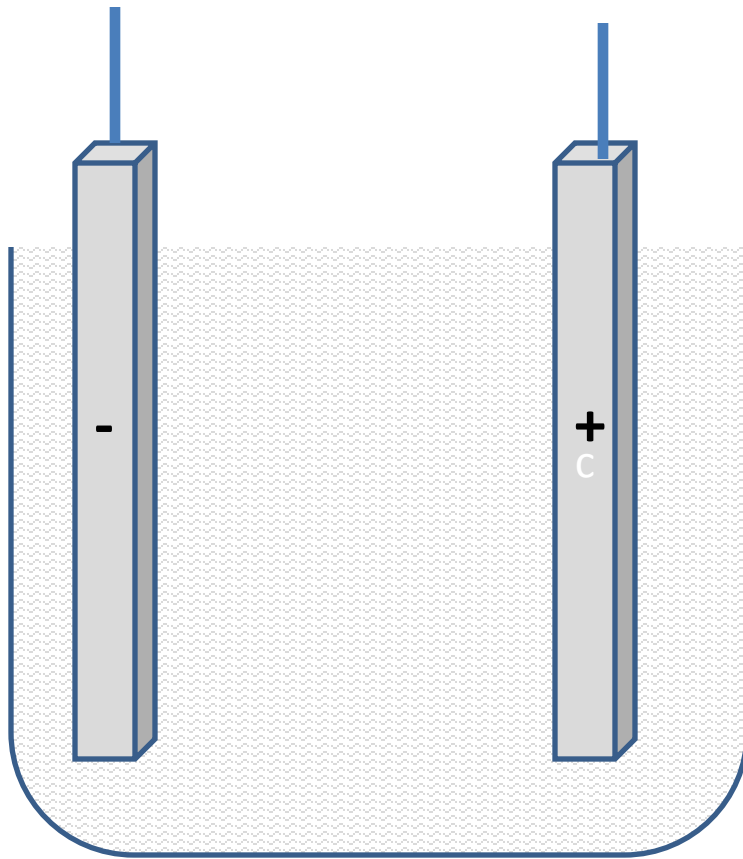


Negative electrode (Pb): $\mu(\text{SO}_4^{-2})$



Positive electrode (PbO_2): $\mu(\text{H}^+)$





Open circuit voltage:

$$\Delta V_+ - \Delta V_- = 1.6V - (-0.4V) = 2V$$

Negative electrode (Pb): Positive electrode (PbO₂):

$$\Delta\mu(\text{SO}_4^{-2}) = -2e\Delta V_-$$

$$\Delta V_- = -0.4V$$

$$\Delta\mu(\text{H}^+) = e\Delta V_+$$

$$\Delta V_+ = 1.6V$$

