

Announcements

1. Physics colloquium on the physics of stars –
Thursday 11/14 at 4 PM:
<http://www.wfu.edu/physics/seminars/iliadis.html>
2. Vote on alternative final – Thurs. 12/12 at 9 AM
(as well as scheduled time – Saturday 12/14 at 2 PM).
3. Presentations for extra exam credit:
Thursday 11/14 at 6 PM
Sunday 11/17 at 2 PM
4. Today's topic – Transfer of heat and
the first law of thermodynamics

Review question

Suppose you have a well-insulated cup of hot coffee ($m=0.25\text{kg}$, $T=100^\circ\text{C}$). In order to get to class on time you add 0.25 kg of ice (at 0°C). When your cup comes to equilibrium, what will be the temperature of the coffee.

$$Q = m c_w (T_f - 100^\circ\text{C}) + m L_{\text{ice}} + m c_w (T_f - 0^\circ\text{C}) = 0$$

$$2 c_w T_f = c_w \cdot 100 - L_{\text{ice}}$$

$$T_f = c_w \cdot 100 / (2 c_w) - L_{\text{ice}} / (2 c_w)$$

$$T_f = 50 - 333000 / (2 \cdot 4186) = 10^\circ\text{C}$$

Thermodynamic statement of conservation of energy –

First Law of Thermodynamics

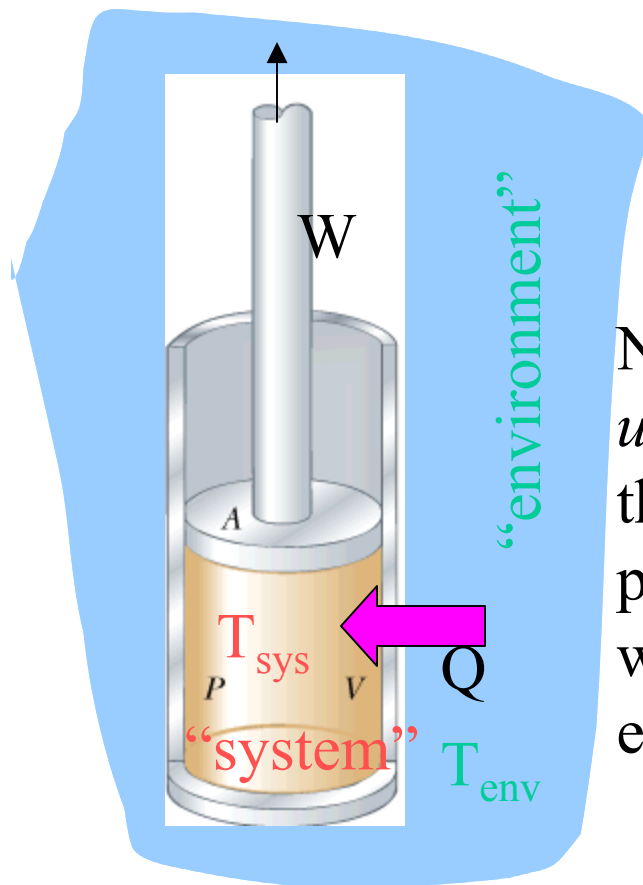
$$\Delta E_{\text{int}} = Q - W$$

Work done by system

Heat added to system

“Internal” energy of system

“Internal energy” $E_{\text{int}} = E_{\text{int}}(T, V, P)$ (for an ideal gas, $E_{\text{int}} = E_{\text{int}}(T)$)
can be changed by interaction with the system



$$\Delta E_{\text{int}} = Q - W$$

Note: Thermal equilibrium implies a *uniform* temperature. In this example, the system and the environment are presumed to be in thermal equilibrium within themselves but *not* in thermal equilibrium with each other.

Mechanisms of heat transfer:

1. Thermal convection

Heat transmitted by heated fluid flow. (Ex. -- home heating units, stove top cooking)

2. Radiation

Heat transmitted by electromagnetic radiation. (Ex. – sun, microwave cooking)

3. Thermal conduction

Heat transfer from one side of a material to another due to a temperature gradient.

Quantitative statement of thermal conduction:

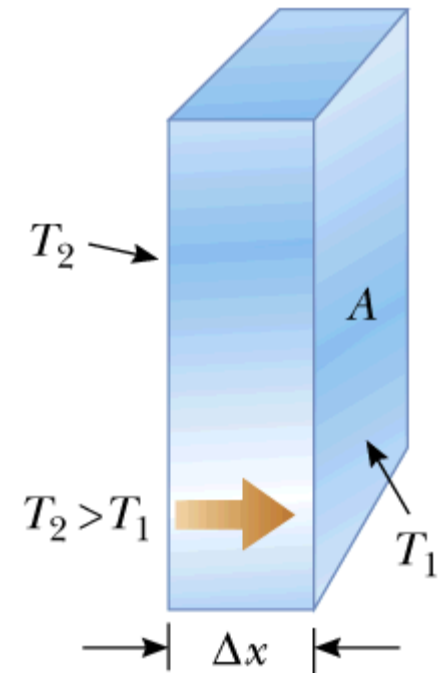
$$\frac{\Delta Q}{\Delta t} = k A \frac{\Delta T}{\Delta x}$$

Units: 1 J/s = 1 Watt (W)

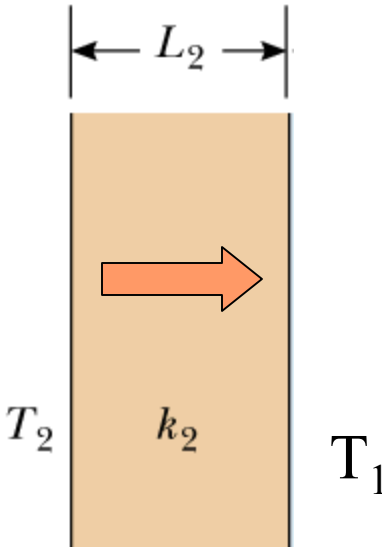
thermal conductivity coefficient

cross-sectional area

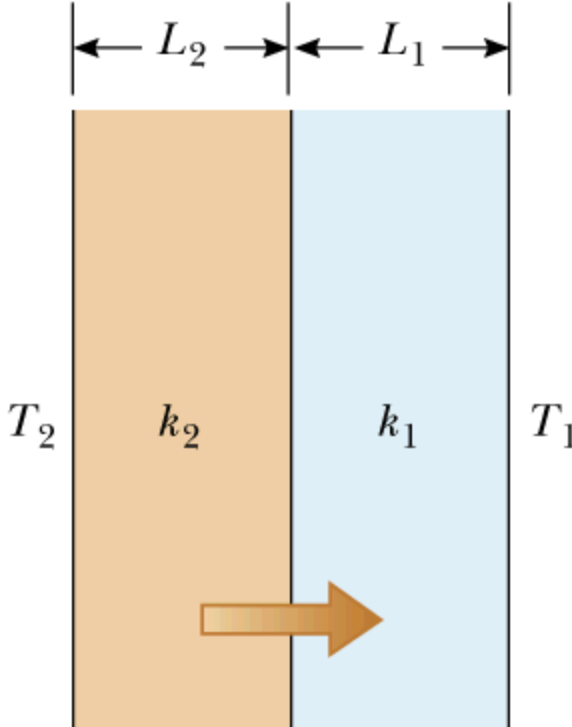
Material	k (W/(m·°C))
Copper	238
Glass	0.8
Water	0.6
Air	0.0234



Examples of thermal conduction



$$\frac{dQ}{dt} = k_2 A \frac{T_2 - T_1}{L_2}$$



$$\frac{dQ}{dt} = k_{eff}^T A \frac{T_2 - T_1}{L_2 + L_1}$$

$$k_{eff} = \frac{L_2 + L_1}{L_2 / k_2 + L_1 / k_1}$$

Example: $T_1=20^\circ\text{C}$, $T_2=0^\circ\text{C}$

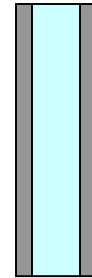
Single pane glass window: $A=1\text{m}^2$, $L_2=0.002\text{m}$, $k_2=0.8\text{ W/m}\cdot^\circ\text{C}$

$$\frac{dQ}{dt} = k_2 A \frac{T_2 - T_1}{L_2} = 8000\text{ W}$$

Double pane glass window: $L_1=0.01\text{m}$, $k_1=0.0234\text{ W/m}\cdot^\circ\text{C}$ (air)

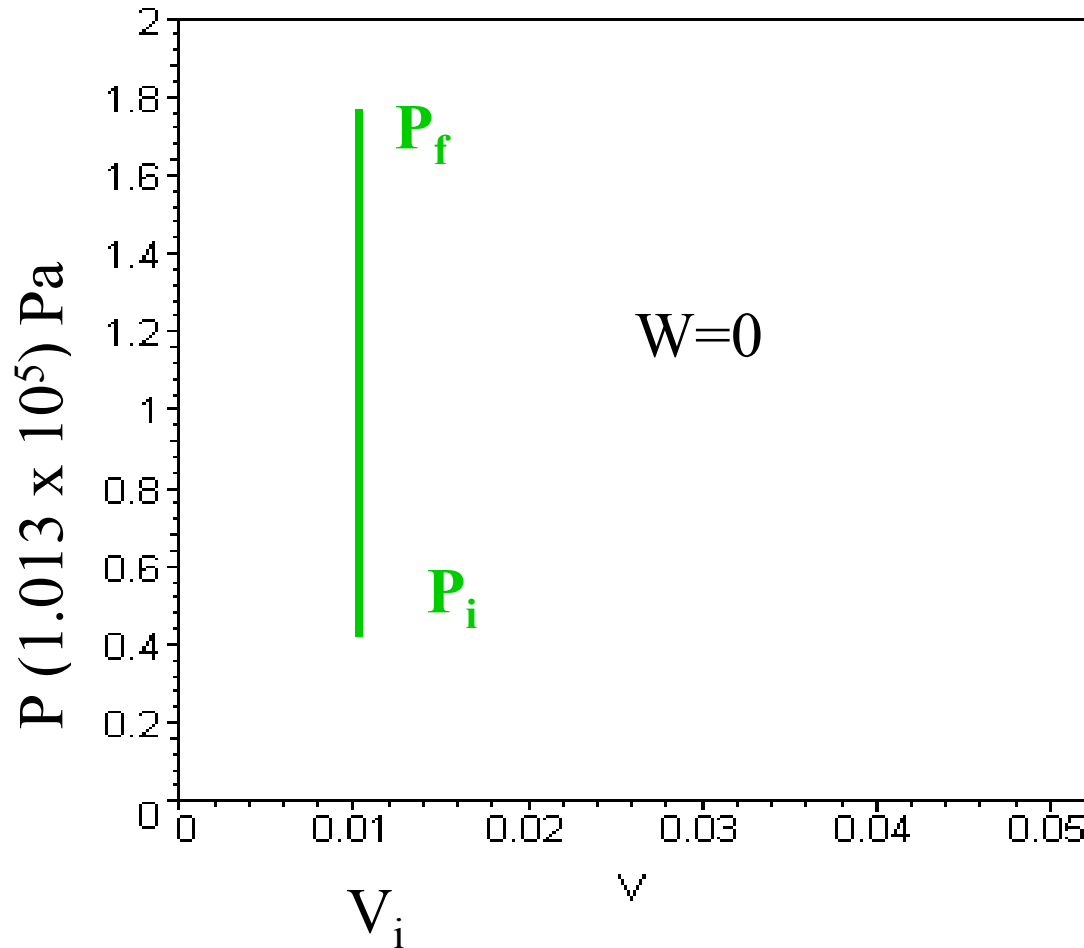
$$\frac{dQ}{dt} = k_{eff} A \frac{T_2 - T_1}{L_2 + L_1 + L_0}$$

$$k_{eff} = \frac{L_2 + L_1 + L_0}{L_2 / k_2 + L_1 / k_1 + L_0 / k_0} = 46\text{ W}$$



Work done by ideal gas:

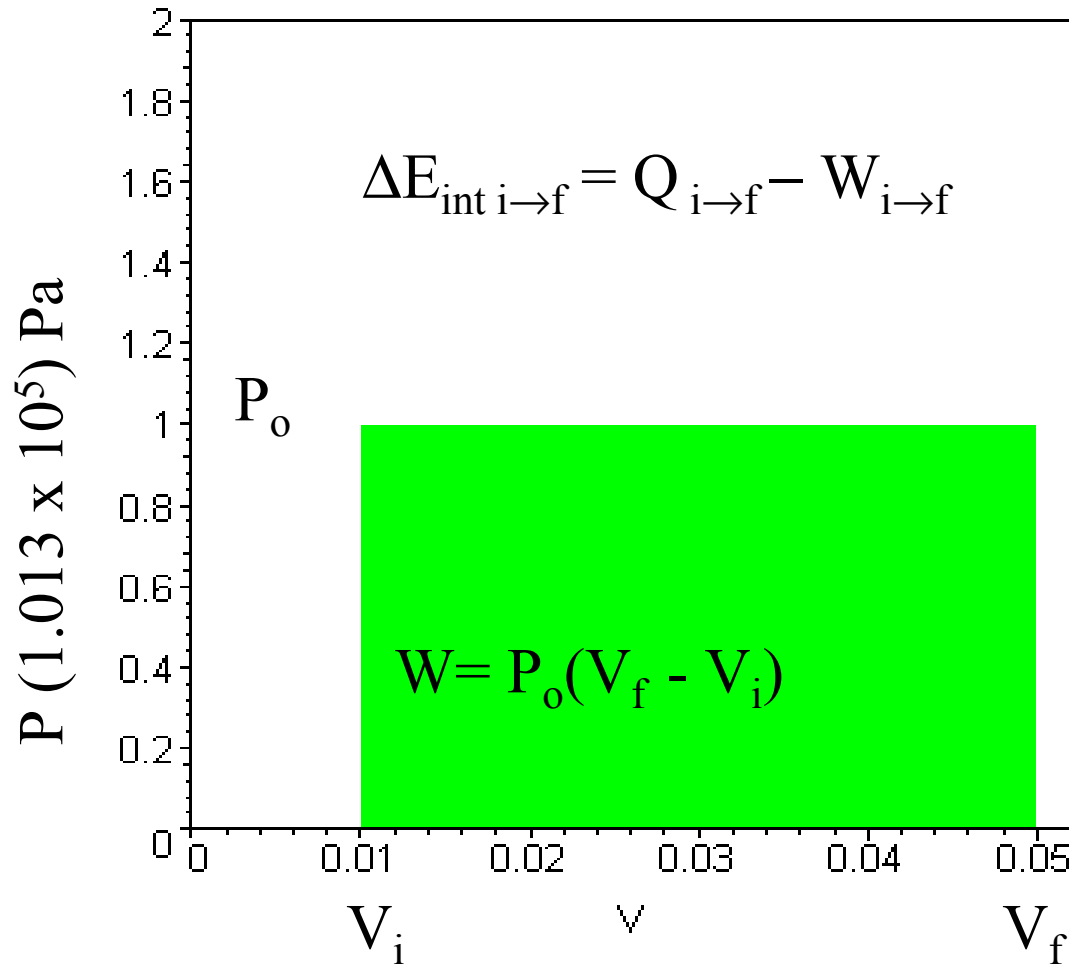
“Isovolumetric” (constant volume process)



$$\Delta E_{\text{int } i \rightarrow f} = Q_{i \rightarrow f}$$

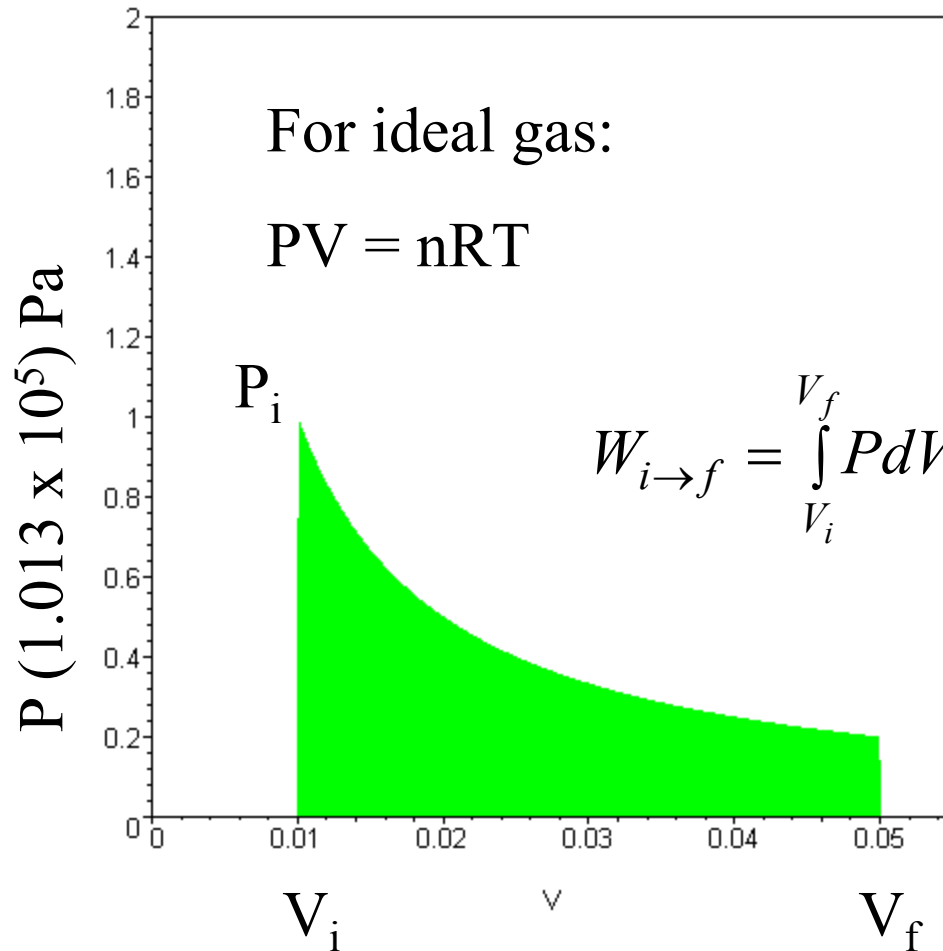
Work done by a gas:

“Isobaric” (constant pressure process)



Work done by a gas:

“Isothermal” (constant temperature process)

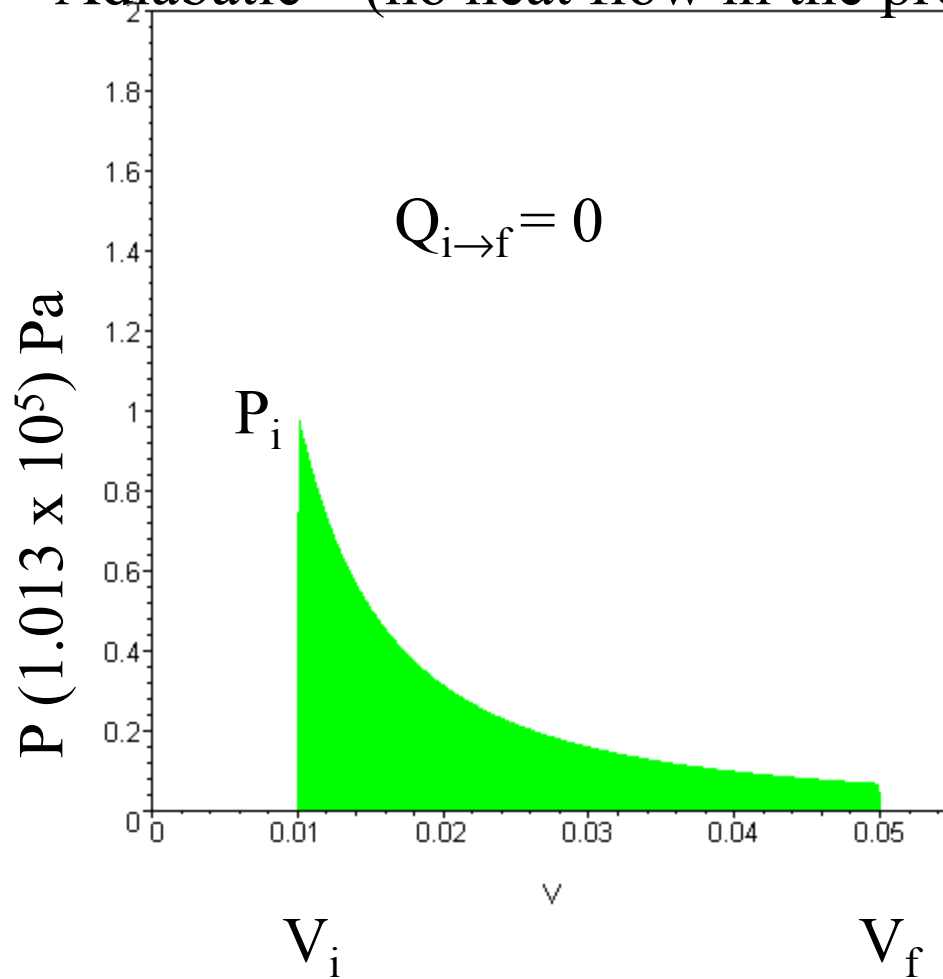


$$\Delta E_{\text{int } i \rightarrow f} = Q_{i \rightarrow f} - W_{i \rightarrow f}$$

$$W_{i \rightarrow f} = \int_{V_i}^{V_f} P dV = \int_{V_i}^{V_f} \frac{nRT}{V} dV = nRT \ln \left(\frac{V_f}{V_i} \right)$$
$$= P_i V_i \ln \left(\frac{V_f}{V_i} \right)$$

Work done by a gas:

“Adiabatic” (no heat flow in the process process)



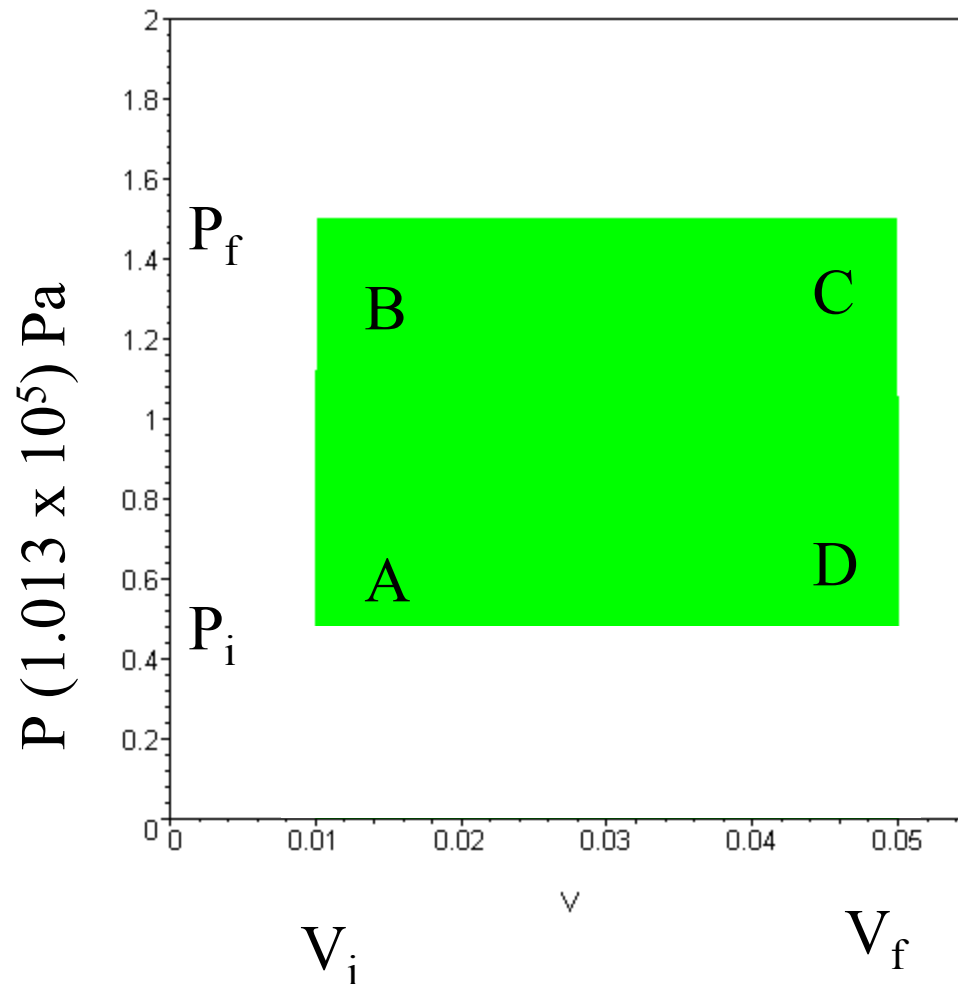
$$\Delta E_{\text{int } i \rightarrow f} = -W_{i \rightarrow f}$$

Peer instruction question

Which of the following are *not* true for an adiabatic expansion of a gas?

- (A) There is no heat transfer.
- (B) The temperature is constant.
- (C) There is positive work done by the system.
- (D) The internal energy of the system decreases.

Examples process by an ideal gas:



$$W_{\text{net}} = W_{BC} + W_{DA}$$

$$= (P_f - P_i) (V_f - V_i)$$

$$\Delta E_{\text{int(ABCD)}} =$$

$$\Delta E_{\text{int(AB)}} + \Delta E_{\text{int(BC)}} + \Delta E_{\text{int(CD)}} + \Delta E_{\text{int(DA)}} = 0$$